

Writing a good proposal

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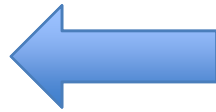
Based on Joan Wrobel's lectures "Sensitivity" and "Proposal Writing" at NRAO's 2008 and 2010 Synthesis Imaging Workshops

Most important thing: scientific idea

Start with scientific idea

1. Select target list, you need:

- Flux density
- Angular size
- these depend on frequency so this and the next step are intertwined



Can be a guess if you have a good reason for that guess.

2. figure out what telescope characteristics you need:

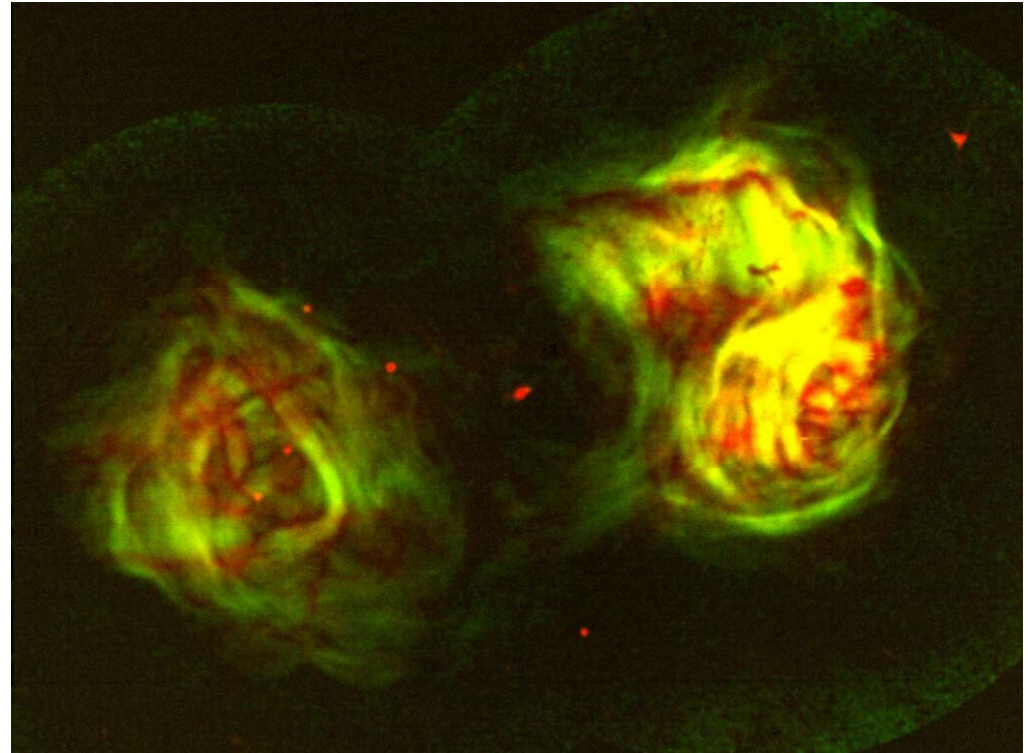
- Frequency
- Polarization
- Spectral resolution
- Sensitivity (bandwidth, time on source)
- Largest angular size
- Angular resolution $-\theta_{\text{HPBW}} = \lambda/B_{\text{max}}$ (rad) $\approx 2\lambda(\text{cm})/B_{\text{max}}(\text{km})$ (asec)

} I will go into detail on these



Select and evaluate trial array

- Start with most important requirements: usually frequency, angular resolution and/or sensitivity.
 - Select trial array
 - EVLA, VLBA, ALMA, MERLIN, EVN, GMRT, SMA, CARMA, ATA,, ATCA, LOFAR, LWA, ASKAP, MEERKAT ...
 - Evaluate: sensitivity, angular resolution and largest angular size



Radio Galaxy Fornax A
VLA 1.4 GHz 1.0d x 0.7d R. Ekers
NRAO Image Gallery

Sensitivity (Power and T)

- Radio astronomers refer to the power from signals in the antennas as equivalent temperature (T).
 - Rayleigh-Jeans approximation of radiation from a black body:

$$P = \kappa_B T \Delta\nu$$
$$= g^2 \kappa_B (T_{ant} + T_{sys}) \Delta\nu$$

g – voltage gain

T_{ant} – antenna temperature (temperature from the source)

T_{sys} – system temperature (receiver noise + feed losses + spillover + atmospheric emission + galactic background + cosmic background)
 $= T_{rec} + T_{feed} + T_{spill} + T_{atm} + T_{gal} + 2.725K$

$\Delta\nu$ – observing bandwidth

For full derivation of these and following equations see the “Sensitivity” chapter of [Synthesis Imaging in Radio Astronomy II](#) by Wrobel and Walker.



Sensitivity (K and SEFD)

- Antenna Gain or Sensitivity (K) in degrees/Jy
 - $K = T_{ant}/S$
 - S is the source flux density (Jy)
- System Equivalent Flux Density (SEFD) is the flux density that would deliver the same amount of power.
 - measure of the overall system performance.
 - $SEFD = T_{sys}/K$ (Jy)

Antenna	Diameter (m)	SEFD (Jy)
Effelsberg (Germany)	100	39
1 EVLA antenna (USA)	25	310
Medicina (Italy)	32	221
Haystack (USA)	36	606

Example SEFDs at 5 GHz



The two sensitivities you should care about I

I. Sensitivity on one baseline (ΔS_{ij})

- Important because it tells you how strong a source has to be to self-calibrate and/or be a phase calibrator. The baseline sensitivity between two antennas i and j is:

$$\Delta S_{ij} = \frac{1}{\eta_s} \times \sqrt{\frac{SEFD_i \times SEFD_j}{2 \times \Delta \nu \times \tau_{acc}}}$$

- η_s is the system efficiency factor (usually ~ 1)
- τ_{acc} is the time accumulated on source
- E.g., for a $\Delta S_{ij} \approx 10 \text{ mJy}$ you will need a 50 mJy phase calibrator to get 5σ phase solutions.
- If antennas are identical simplifies to:

$$\Delta S = \frac{1}{\eta_s} \times \frac{SEFD}{\sqrt{2 \times \Delta \nu \times \tau_{acc}}}$$



The two sensitivities you should care about II

2. Image sensitivity (ΔI_m)

- Important because it tells you how faint a source you can detect in a given amount of time (τ_{acc}) and bandwidth ($\Delta\nu$).

$$\Delta I_m = \frac{1}{\eta_s} \times \frac{SEFD}{\sqrt{N \times (N-1) \times \Delta\nu \times t_{\text{int}}}}$$

- N-- number of elements in the array
- This assumes identical antennas
- E.g., if $\Delta I_m \approx 10 \mu\text{Jy}/\text{beam}$ for a two hour observation a $100 \mu\text{Jy}$ source will be detected at 10σ . For a four hour observation ΔI_m will decrease by $\sqrt{2}$ to $7 \mu\text{Jy}/\text{beam}$.
- If you are lucky the telescope you want to use will have an on-line sensitivity calculator. Most do these days.



Things I glossed over when talking about Sensitivity

What can degrade sensitivity (besides bad data and calibration errors):

1. Confusion : if you go deep enough you will encounter background sources, especially for short baseline/low frequency arrays.
 - Not a problem for VLBI, big problem for LWA
2. Dynamic range: there is usually a dynamic range limit so for very bright sources there is a noise limit that is higher than the theoretical noise.
3. Even “identical” antennas are not really “identical”
4. Using Fast Fourier Transforms degrades images towards the edges
5. Weighting
 - Best sensitivity for natural weighting (do not down weight any data)
 - But in some cases other weighting schemes (uniform, robust, tapering) are preferred which decrease the sensitivity.
6. Beam squint, non-coplanar arrays, w-projection, unmodeled spectral index across bandwidth, polarization leakage...



Largest Angular Scale

Definition: the largest structure in the source that can be reliably imaged

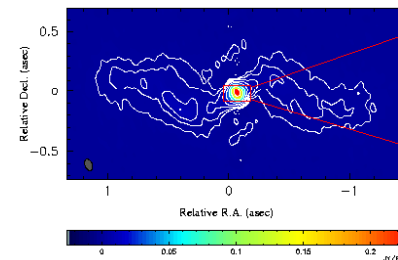
- The telescope *will not measure flux* on scales larger than

$$\approx 2\lambda(\text{cm})/B_{\min}(\text{km}) \text{ (asec)}$$

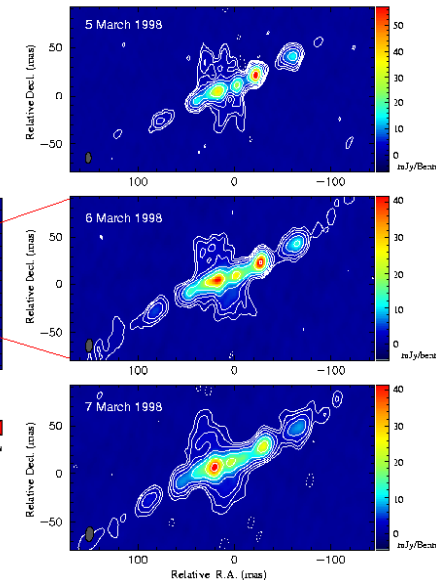
- But to reliably image something you need decent uv-coverage so the LAS is smaller than that the above calculation. This depends on the telescope but a good rule of thumb is the use twice the B_{\min} so:

$$\theta_{\text{LAS}} \approx \lambda(\text{cm})/B_{\min}(\text{km}) \text{ (asec)}$$

MERLIN+VLA Image of SS433



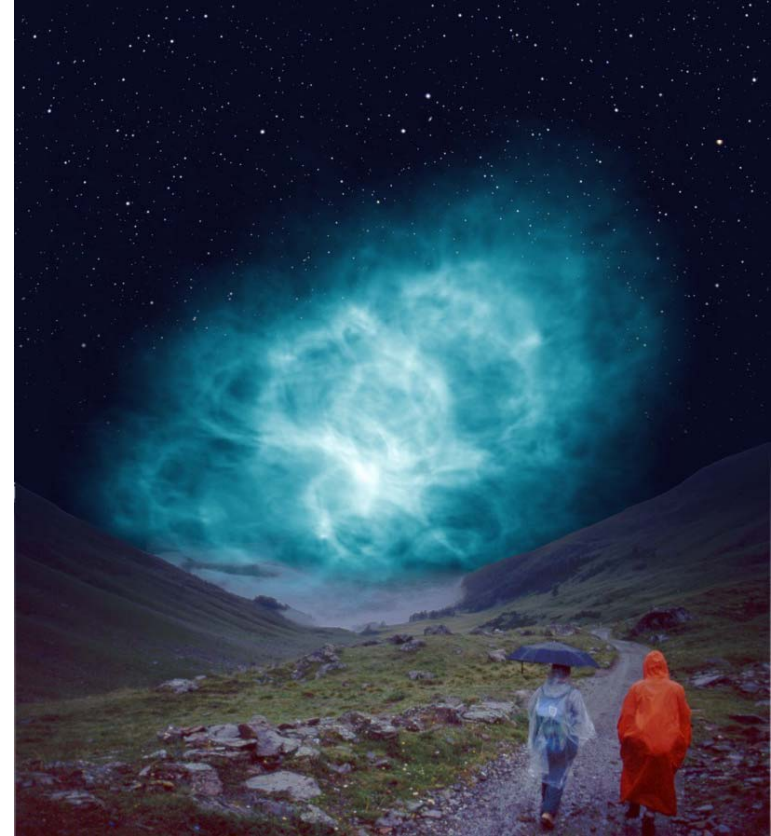
VLBA Images of SS433



Evaluate Trial Array (cont.)

After the numbers work out then consider:

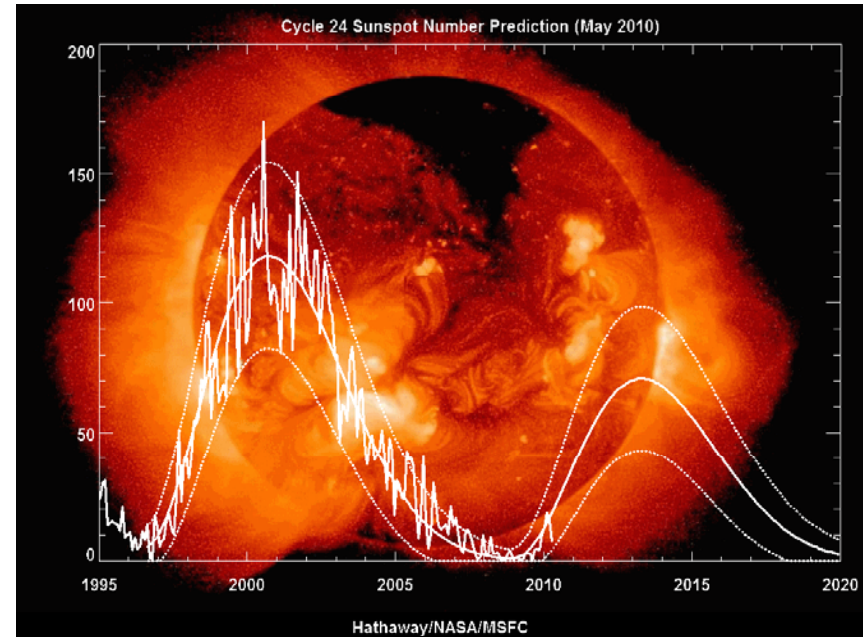
- Special needs
 - Redshifted HI ?
 - Redshifted CO ?
- Geometry
 - Target above elevation limit ?
 - Snapshot or full u-v coverage ?
- Image sensitivity
 - Dynamic-range limited ?



Supernova Remnant Crab Nebula
VLA 5GHz 7' x 5' M. Bietenholz

Evaluate Trial Array (more)

- Enough field of view ?
 - Primary beam attenuation
 - Bandwidth smearing
 - Time-average smearing
 - Non-coplanar baselines
- Optimal timeframes ?
 - Time of day
 - Season
 - Year \sim sunspot number
- If trial array fails, pick another
- If trial array passes, search its archive for suitable data
 - Write proposal



Sun TRACE X-rays

Finally: Write the proposal

Draft a scientific justification

- Write to astrophysically-literate but non-expert reviewers
- Give science context and motivation
- Pose specific science questions
- State specific science goals
- Describe target selection criteria
- Say how the proposed observations will ...
 - Answer the science questions
 - Achieve the science goals
- Include a clear and concise technical justification.
- Remember that reviewers will be reading tens of proposals so:

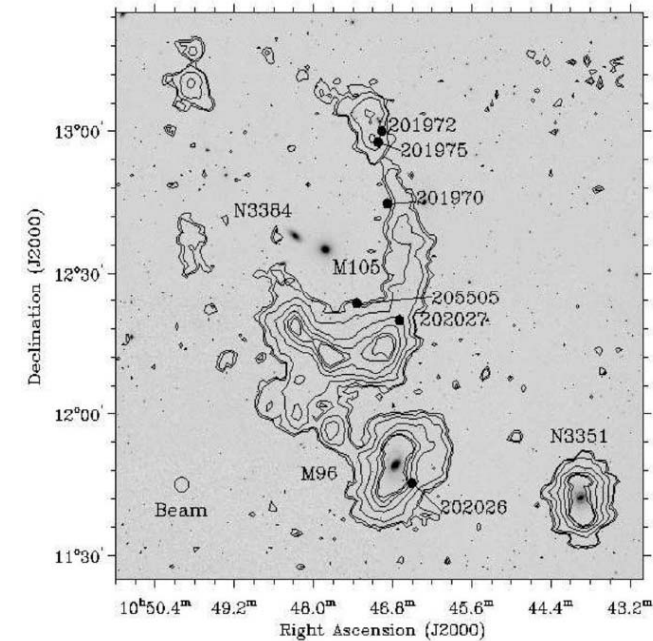
Be quantitative! Be clear! Lists are good!

200 kpc HI Ring in Leo Group

Arecibo 1.4 GHz S. Stierwalt

Primordial versus tidal ring ?

Look for dark halos in dwarfs ●



Yet another temperature: Brightness Temperature

Definition: Rayleigh-Jeans temperature of a black body that would radiate the same power/unit area/unit frequency interval/unit solid angle as what is measured.

$$T_B = \frac{c^2}{2\kappa_B \nu^2} \frac{S}{\Omega}$$

- S is the flux density.
- For an *optically thick thermal source* this is the *real* temperature of the source.
- For an *optically thin thermal source* this is the *lower limit* of the temperature of the source.
- For a non-thermal (e.g., synchrotron radiation, maser emission...) source it has no relation to temperature but can show that the emission mechanism *is* non-thermal:
 - $T_B \sim 10^{12}$: so high nothing could be that hot
 - $T_B \sim 10^7$: so high that it would be radiating like crazy in other bands (like the X-ray) and that is not seen.



Yet another temperature: Brightness Temperature

Why do you care in a proposals lecture?

- It is another way to evaluate a telescope
- You can calculate the T_b sensitivity of a telescope

$$T_{B,\min} = \frac{2 \ln 2}{\pi} \frac{c^2}{\kappa_B} \frac{\Delta I}{\nu^2 \theta_{HPBW}}$$

